$$|c| \int |s| |s| dt$$

$$\int |s| dt$$

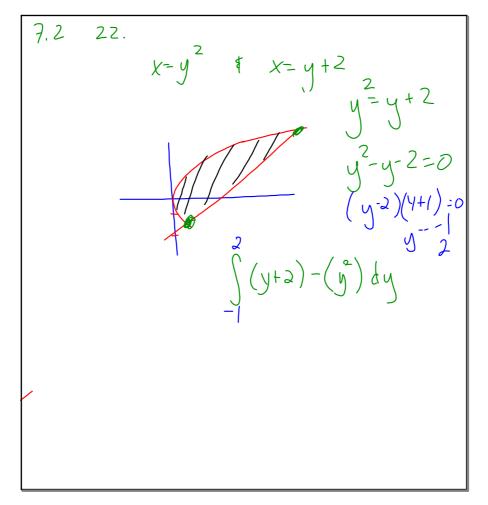
$$|| (3) = 90 + \int_{32}^{3} 4t$$

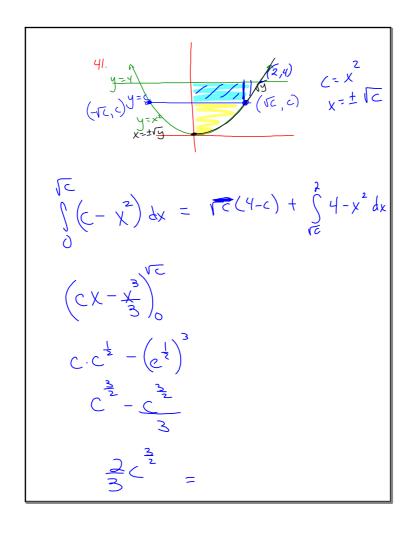
$$v(t) = 90 + \int_{-32}^{3} 4x$$

$$v(t) = 90 - 32t = 0$$

$$s(t) = 0 + \int_{0}^{4} 90 - 32x dx$$

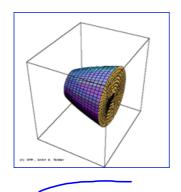
$$s(t) = 0 + 90t - 16t^{2} = 0$$

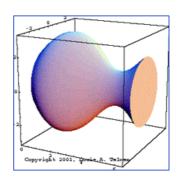




7.3 Volumes

How could we find/approximate the volume of the solid?

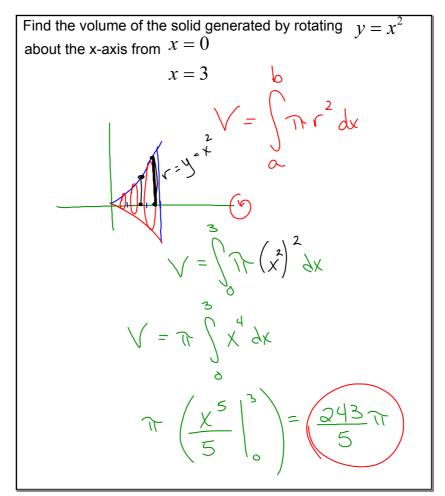


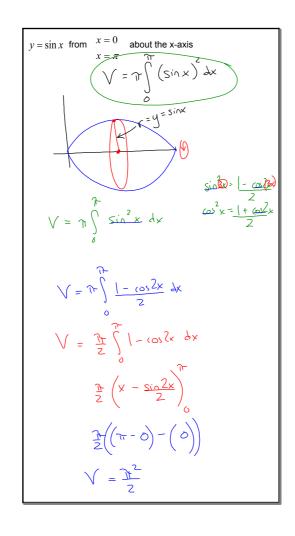


sketch a cross section Find the area formula Find the limits of integration Integrate A(x) to find the volume with dx as the differential

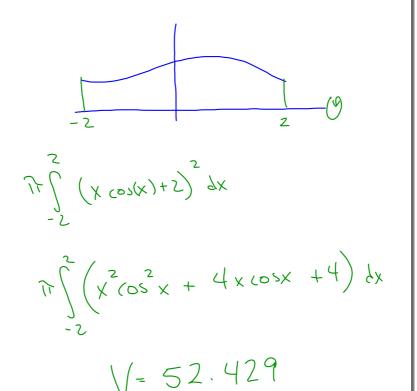
Volumes of known cross section

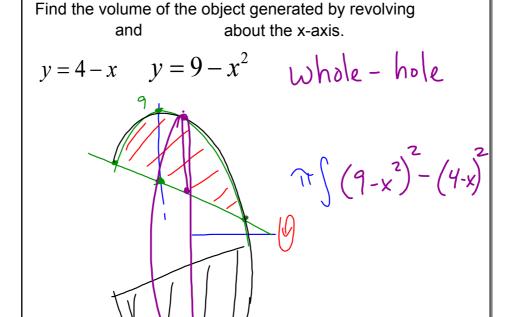
$$V = \int_{a}^{b} \Delta A$$





The region between the graph of $f(x)=x\cos(x)+2$ and the x-axis over the interval [-2,2] is revolved about the xaxis to generate a solid. Find the volume of the solid.





Pail

$$y = \frac{3}{2}x - 3$$
 and $x = 0$ about the y-axis from $y = 0$ to $y = 4$

Rotate around the y-axis
$$y = x^2$$
 and $x = 0$ from $y = 0$
 $y = 2$